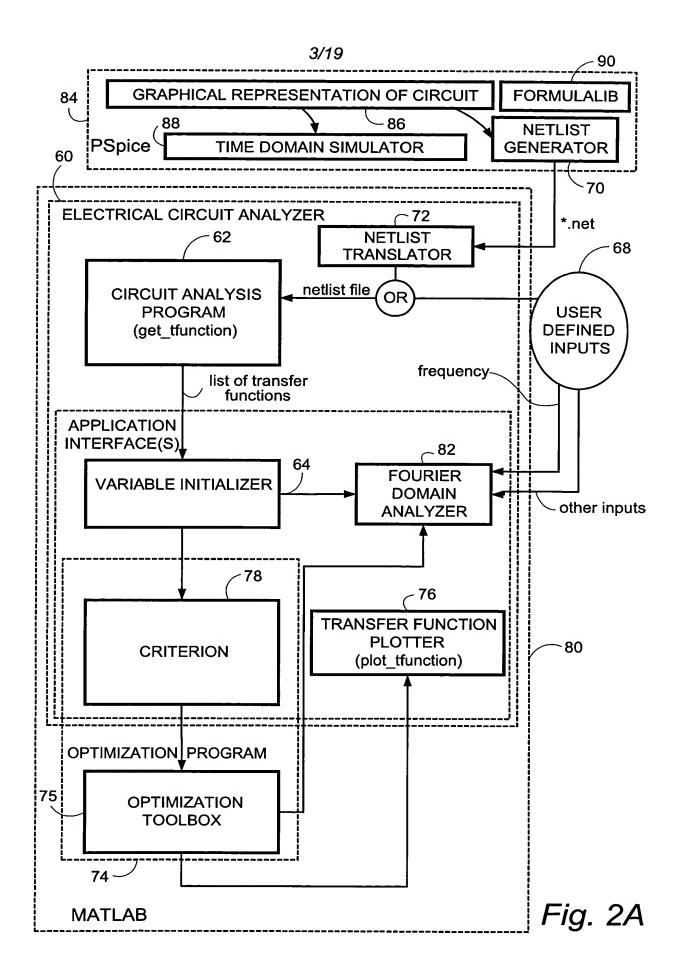
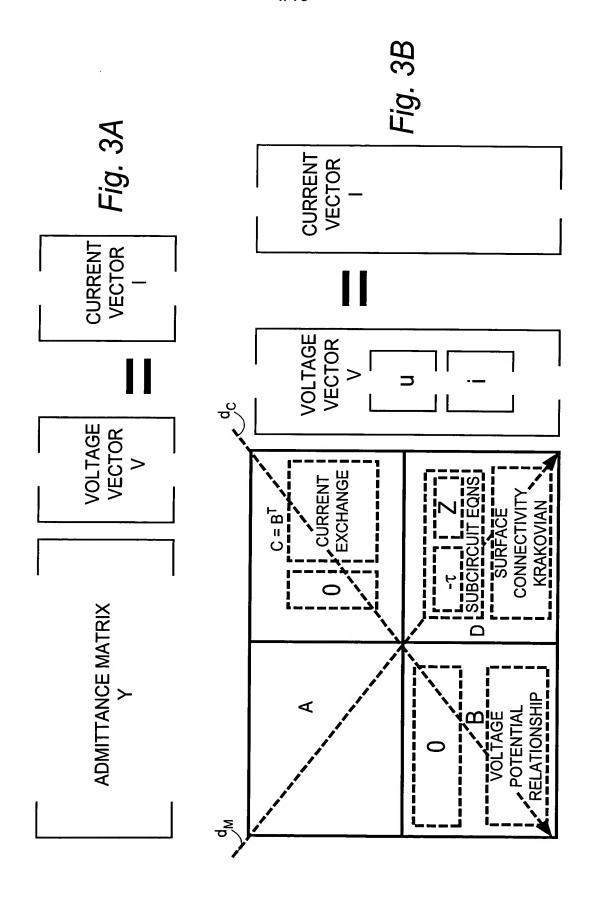


Fig. 2





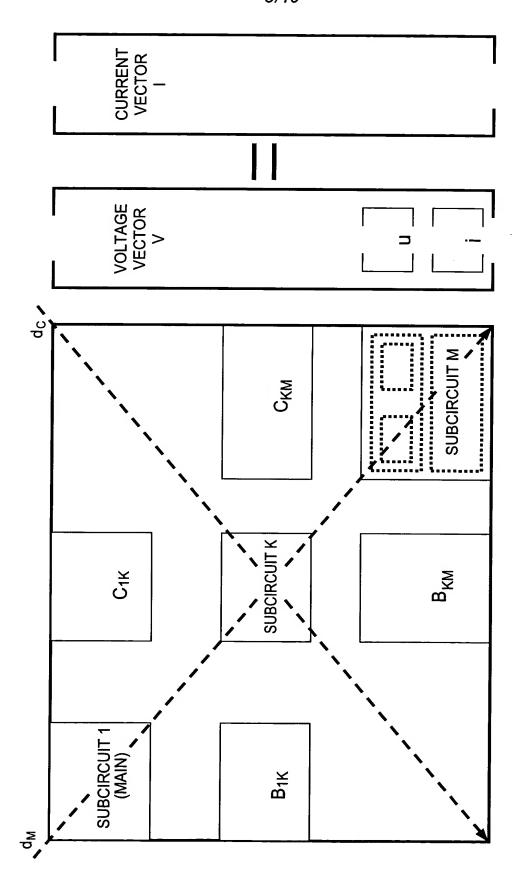


Fig. 3C

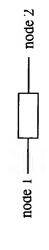
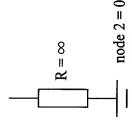
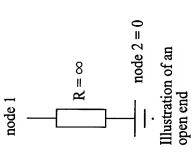


Fig. 4A(1)(a)



Fig

## node 1 — node 2 Fig. 4B(1)



(q)
7
4A(
7.

	node1	node 2 RHS	RHS
cnode+	<u>1</u>	$-\frac{1}{R}$	
-epous	$-\frac{1}{R}$	1 R	

Fig. 4A(2)

RHS	<u>.</u>	
node 2	2πjfC	2πjfC
node1	cnode+ $2\pi j f C$	2πjfC
	cnode+	-apous

Fig. 4B(2)

RHS		
node 2	$-\frac{1}{2\pi j f \mathcal{L}}$	$\frac{1}{2\pi j f L}$
node1	$\frac{1}{2\pi j fL}$	$-\frac{1}{2\pi jfL}$
	cnode+	-әроиэ

Fig. 4C(2)

Fig. 4C(1)



output	
(D(1)	-
Fig. 4	)
# #	

input output RHS

G

Fig. 4D(2)

	input 1	input 2	output	RHS
output	<i>t-</i>	1-	1	

→ output Fig. 4E(1)

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ì	-	′,
-		•

	input 1	input 2	output		RHS
output				1	
br1	1-	1-			

S
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4F
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ij

RHS					
	-	-1	8	8	
-apou					
node+					
cnode+ cnode- node+					1-
cnode+					1
	cnode+	-apous	node+	node-	br1

Fig. 4G(2)

Eig 15(4)	1
i	indino
input I	input 2

Ц	-
- output	4
<u>/</u>	<u>.</u>
	ıput 2

node+	
9	
cnode+ O	

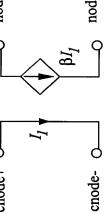


Fig. 4G(1)

	2							
		cnode+	cnode-	+apou	node-	brI	br2	
	+30011	4	\_\ \_\\	· · · · · · · · · · · · · · · · · · ·		-apou O	77/17	( )
( - 1	Cilode+	1	$\downarrow l_T$		-	cuode-	Γi	£ .8

*I-*

node+

'n

(2)
4H
g. <sup>2</sup>
Fi

		-1	7	-1
				$g_m$
				-9m
cnode+	-apous	node+	node-	br1
	cnode+		+ 1 .	

cnode+  $\circ$   $V_I$   $V_I$ 

Fig. 4I(2)

RHS					
			-	1-	
node-					-1
+apou	:				1
cnode+ cnode- node+ node-					n
cnode+					n'-
	cnode+	-apous	node+	-apou	br1

cnode+  $\circ$   $V_1$   $\psi_1$   $\psi_1$   $\psi_1$   $\psi_2$ cnode-  $\circ$   $\psi_1$   $\psi_2$   $\psi_1$   $\psi_2$ 

O node+

Fig. 4J(2)

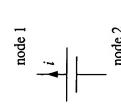


Fig. 4K(1)

	Fig. 4K(2)	
RHS		>
	1-	
node 2		1-1
node 1		1
	node1 node2	pr1

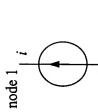


Fig. 4L(1)

	[in 11 (0)	LIG. 4L(Z)	•
RHS			>
-	1	-	
node 2			-1
node 1			1
	node1	node 2	br1

<u> </u>	<del></del>		
RHS			
5	1 - 1-		1-
1,		-1	
-apou		$\frac{k_{11}\cdot k_{22}}{k_{12}} - k_{21}$	$-\frac{k_{11}}{k_{12}}$
+epou		$k21 - \frac{k11\cdot k22}{k12}$	$\frac{k!1}{k!2}$
-apous		$-\frac{k22}{k12}$	$\frac{1}{k!2}$
cuode+		<u>k22</u> <u>k12</u>	$-\frac{1}{k12}$
	cnode+ cnode- node+ node-	br1	br2

→ node I

node 2

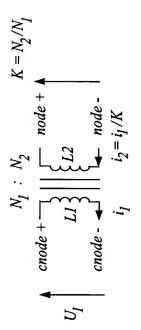
cnode 2 —

Fig. 4M(1)

Fig. 4M(2)

4. SC 1

Internal nodes



RHS

node-

node+

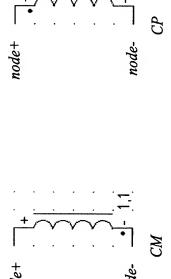
cnode+

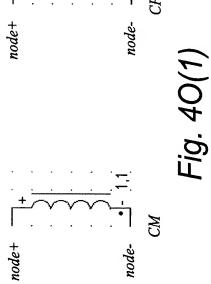
cnode+ cnode-node+

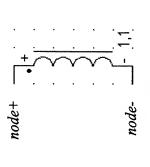
node-

Fig. 4N(2)

Fig. 4N(1)







SC 2.	(1)	
. 8. 3	Fig. 4Q(1,	RHS
8	Fig.	output -1
External nodes		input tfunc
Ext		output

RHS	
output	-1
input	tfunc
	output

Fig. 4P(2)

Fig. 4P(1)

-H(s,f,z)+

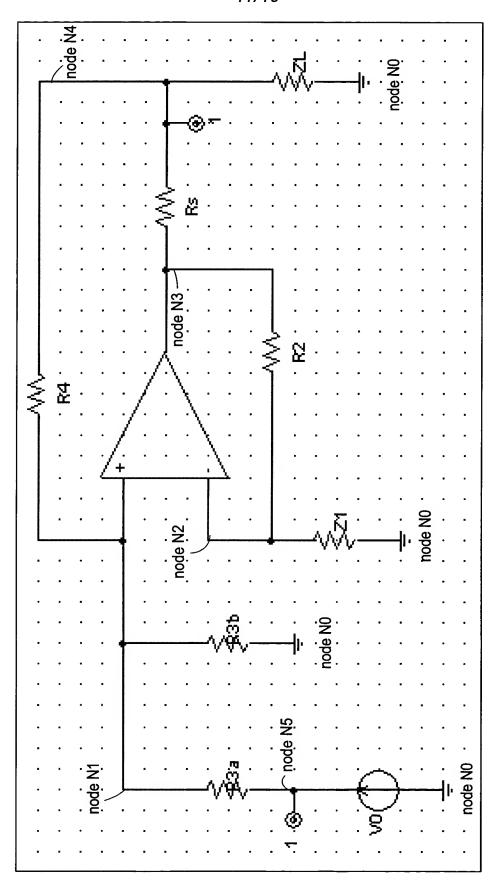


Fig. 5

=I <sub>CD</sub>	}	[							
$\widetilde{\mathbf{C}}_{AB} + \widetilde{\mathbf{D}}_{CD} = \widetilde{\mathbf{C}} \cdot 0 + \widetilde{\mathbf{D}}\mathbf{I}_{CD} = (\mathbf{D} - \mathbf{C}\mathbf{A}^{-1}\mathbf{B})^{-1}\mathbf{I}_{CD} = \mathbf{V}_{CD} \Leftrightarrow (\mathbf{D} - \mathbf{C}\mathbf{A}^{-1}\mathbf{B})\mathbf{V}_{CD} = \mathbf{I}_{CD}$	•								
⇒( <b>D</b> -CA <sup>-1</sup> ]	ПП	-/		-					
$\mathbf{I}_{CD} = \mathbf{V}_{CD}$	0	$-\frac{1}{R_{3b}}$	$-\frac{1}{R_{Z1}}$			$-\frac{1}{R_{ZL}}$	$\frac{1}{Ry} + \frac{1}{RZL}$		
$-\mathbf{C}\mathbf{A}^{-1}\mathbf{B})^{-1}$	5	$R_4$				$R_{ZZ} + \frac{1}{R_4}$	$-\frac{1}{R_{ZL}}$		
D=(D-1)	4	$-\frac{1}{R_{3a}}$			$\frac{1}{R_{3a}}$				
$0+\widetilde{\mathbf{DI}}_C$	3		$-\frac{1}{R_2}$	$\frac{1}{R_3}$					
$\widetilde{\mathbf{D}}_{CD} = \widetilde{\mathbf{C}} \cdot$	2		$\frac{1}{R_2} + \frac{1}{R_{Z1}}$	$-\frac{1}{R_2}$			$-\frac{1}{R_{Z1}}$	1	
$\tilde{\mathbf{C}}\mathbf{I}_{AB}$ +	1	$\frac{1}{R_{3a}} + \frac{1}{R_{3b}} + \frac{1}{R_4}$			$-\frac{1}{R_{3a}}$	$-\frac{1}{R_4}$	$-\frac{1}{R_{3b}}$	1-1	
İ		-	2	3	4	<sub>Ω</sub>	0		

Fig. 6

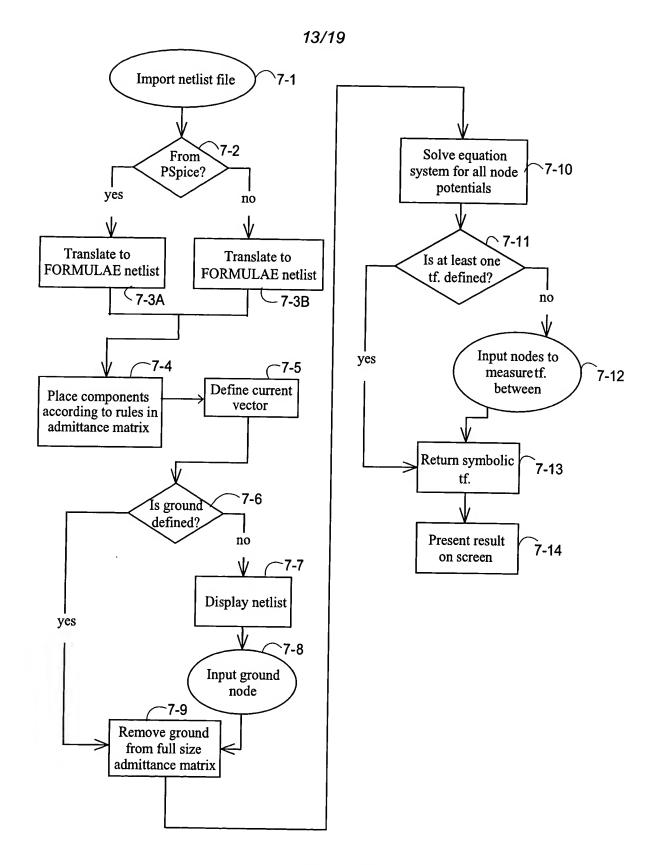


Fig. 7

```
MATLAB
                                                                                          _ 🗆 ×
<u>File Edit View Web Window Help</u>
         大声圏なる
                                      Current Directory: D:\matlabR12\work\Edwin
>> testl_script
Loading netlist, and calculates transfer function...
Netlist:
              R, R3b,
                         Ο,
                              Ο,
                                   Ο,
                                        0]
    0,
         l,
    Ο,
              R, Z1,
R, R2,
                              Ο,
                                   Ο,
                                        0]
         2,
                         Ο,
                              Ο,
                                   Ο,
                                        0]
         3,
                         Ο,
              R,
                  Rs,
                         Ο,
                              Ο,
                                        0]
              R, R4,
         4,
                         Ο,
                              Ο,
                                        0]
                              Ο,
                                        0]
              R, ZL,
                         Ο,
    5,
                         Ο,
                              Ο,
              R, R3a,
         1,
                                        0]
         2,
                   Ο,
                         3,
                              Ο,
                                        0]
                  ٧O,
                             Ο,
                                        0]
Transfer function:
[ R3b*ZL*(R2*R4+Z1*R4+Z1*Rs)/(-R3b*R3a*ZL*R2+Z1*Rs*R3b*R3a+Z1*R4*Rs*R3b+Z1*R4*Rs*R3a+Z1*ZL*
Fixing transfer function...
>> |
1
Ready
```

Fig. 8

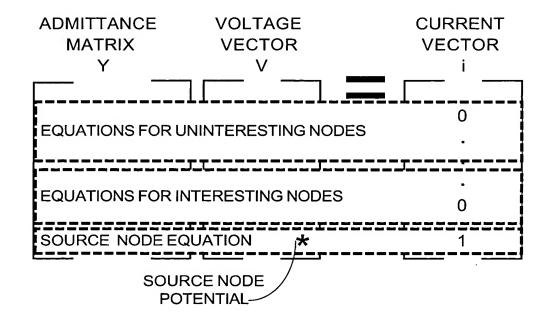
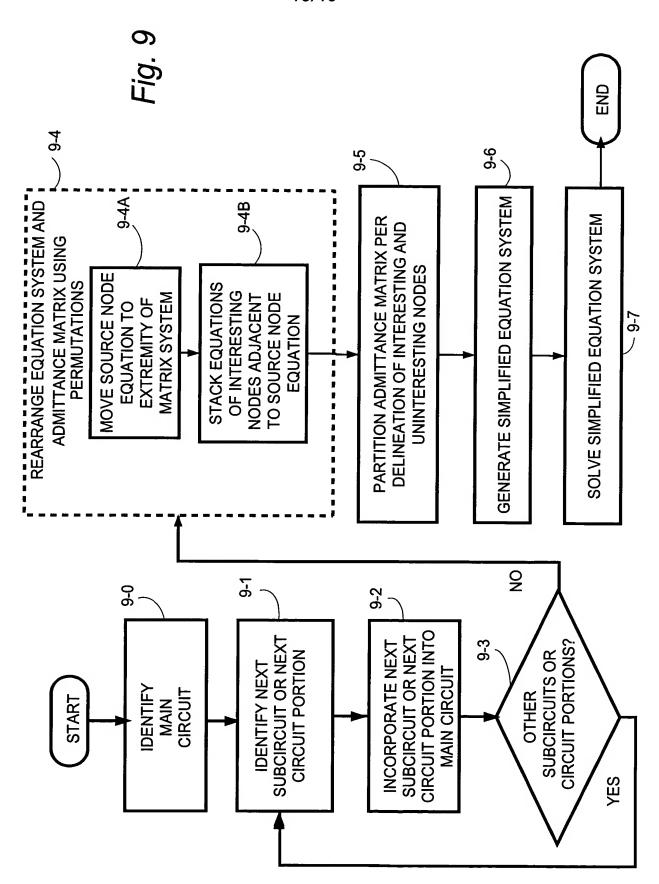


Fig. 10



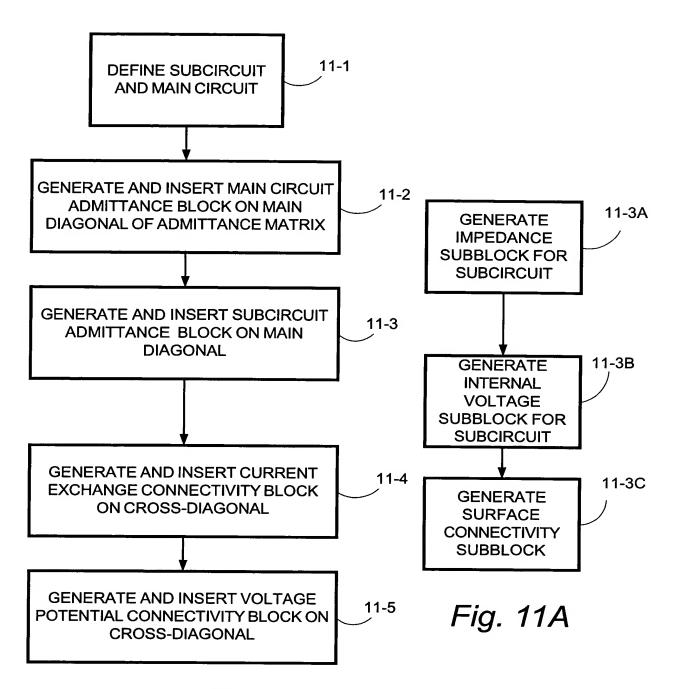


Fig. 11

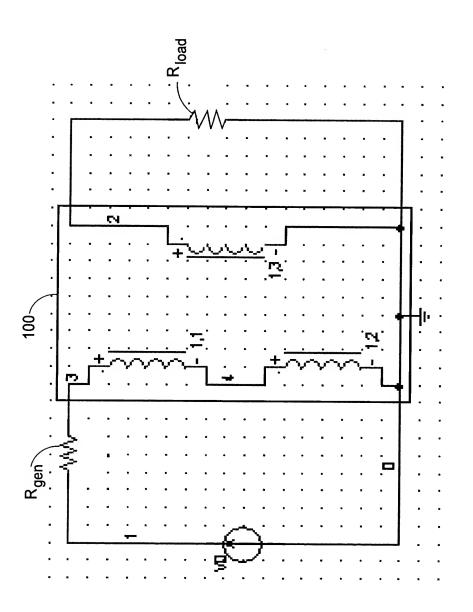
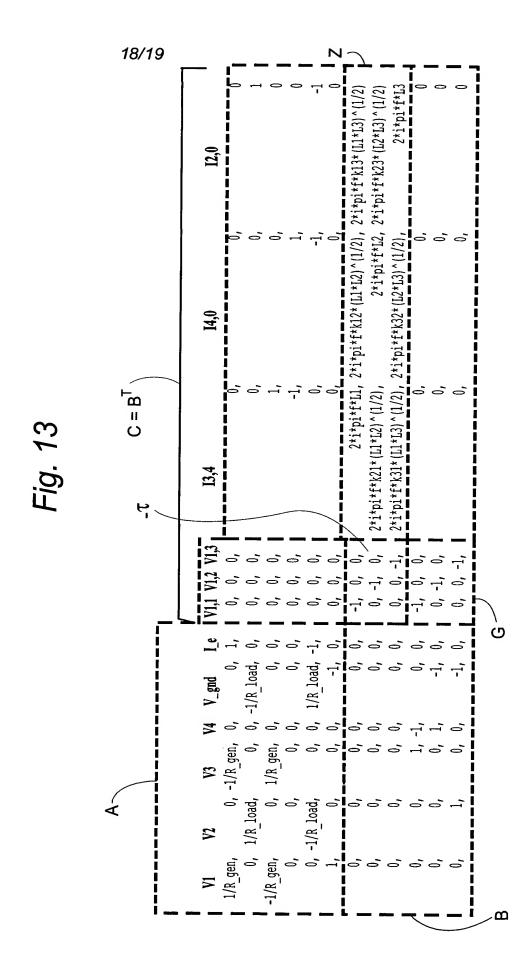


Fig. 12



$$\begin{cases} \frac{1}{R_{gen}} \left( V_1 - V_3 \right) + I_e = 0 \\ I_{2,0} = \frac{1}{R_{load}} \left( V_1 - V_2 \right) \\ I_{3,4} = \frac{1}{R_{gen}} \left( V_1 - V_2 \right) \\ I_{4,0} = I_{3,4} \\ I_{e} + I_{4,0} + I_{2,0} = \frac{1}{R_{load}} \left( V_{gnd} - V_2 \right) \\ V_0 = V_1 - V_{gnd} \\ V_1 = j\omega L_1 I_{3,4} + p_{1,2} j\omega k_{12} \sqrt{L_1 L_2} I_{4,0} + p_{1,3} j\omega k_{13} \sqrt{L_1 L_3} I_{2,0} \\ V_{1,2} = j\omega L_2 I_{4,0} + p_{2,1} j\omega k_{21} \sqrt{L_2 L_1} I_{3,4} + p_{2,3} j\omega k_{23} \sqrt{L_2 L_3} I_{2,0} \\ V_{1,3} = j\omega L_3 I_{2,0} + p_{3,1} j\omega k_{31} \sqrt{L_3 L_1} I_{3,4} + p_{3,2} j\omega k_{32} \sqrt{L_2 L_3} I_{4,0} \\ V_{1,1} = V_3 - V_4 \\ V_{1,2} = V_4 - V_{gnd} \\ V_{1,3} = V_2 - V_{gnd} \end{cases}$$

Fig. 14

If  $p(T_{1,1}) = p(T_{1,2}) = -$ ,  $p(T_{1,3}) = +$  then  $p_{1,3} = p_{2,3} = p_{3,1} = p_{3,2} = -1$ 

If  $p(T_{1,1}) \neq p(T_{1,2})$  then  $p_{1,1} = p_{1,2} = -1$